



**Mathematical Methods, Models, and Architectures  
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# **CLARIFYING INTEGRITY CONTROL AT THE TRUSTED INFORMATION ENVIRONMENT**

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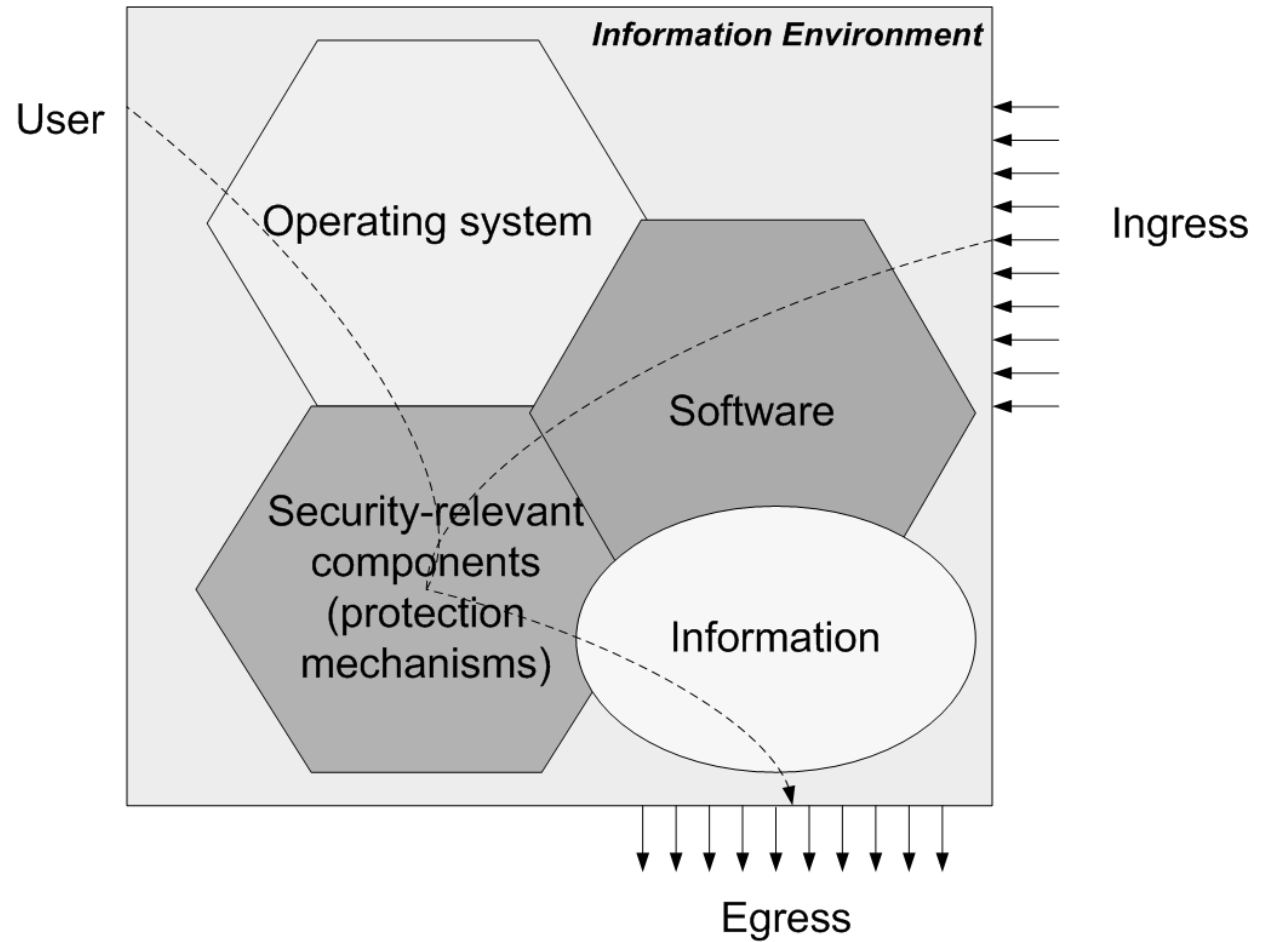
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# Trusted computer system

- ❑ Confidentiality
- ❑ Integrity
- ❑ Accessibility





# How to reach the trustworthiness?

- ❑ **Source code analysis**
  - Reliability models
- ❑ **Security modeling and assurance**
  - Discretionary, mandatory, role-based, etc. models
  - Security specification languages, calculus and processing tools
  - Security monitoring and vulnerabilities detection
  - Intrusion detection methods
- ❑ **Cryptography**
  - Cryptographic algorithms and protocols
- ❑ **Result: 'point' security.**
  - ✓ BUT INFORMATION ENVIRONMENT CONSTANTLY CHANGES

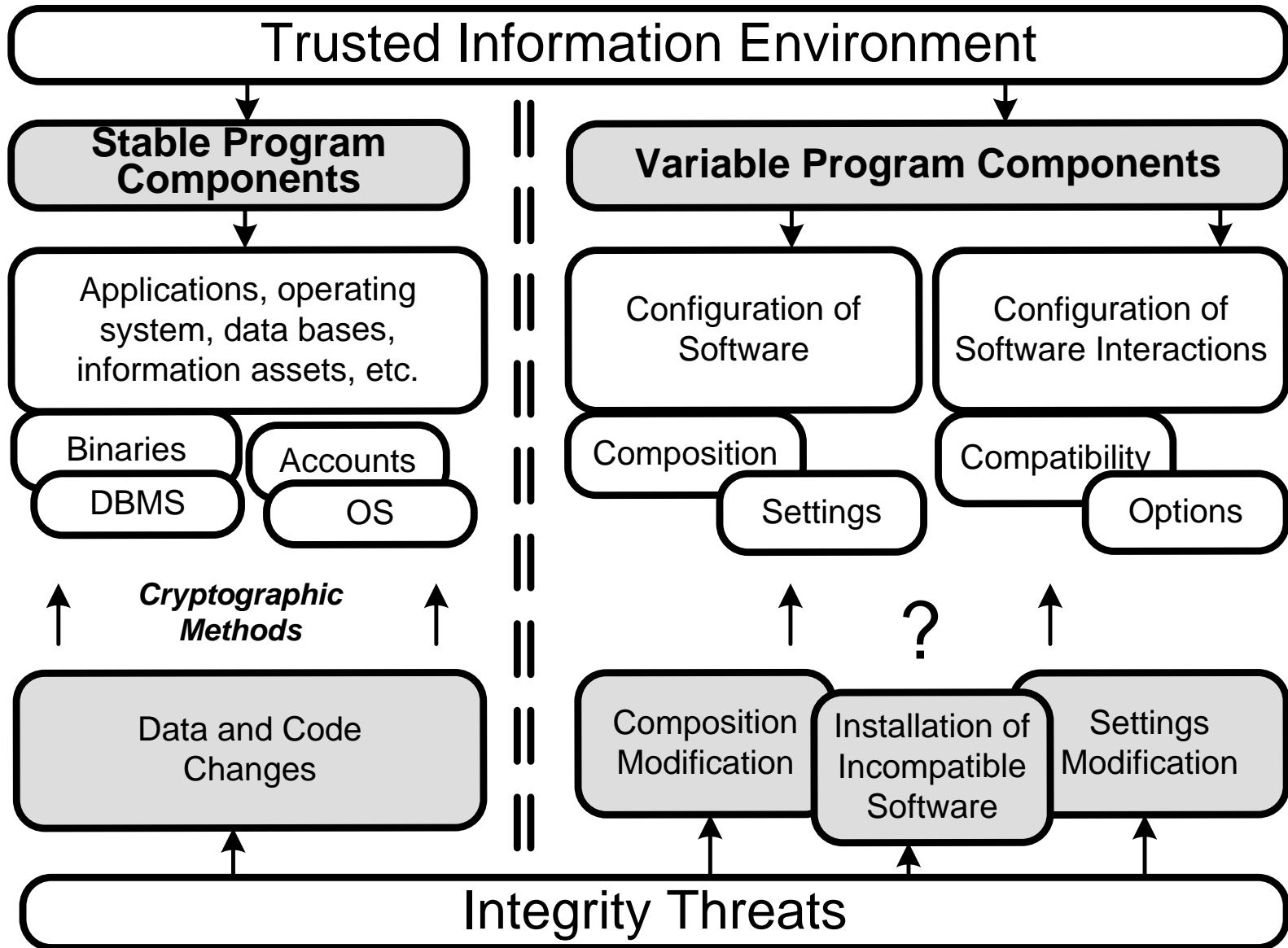


# Integrity problem

- ❑ **Confidentiality**
- ❑ **Accessibility**
  - Traditional methods
- ❑ **Integrity**
  - Data-relevant definition: assurance that information is authentic and complete (hash, checksums)
  - Functional integrity (wholeness of the system)?
    - ✓ Contradictory versions of the program libraries
    - ✓ Software Updates
    - ✓ New access permissions for new users



# Components of information environment





# Stable vs. variable

## □ **Stable components:**

- the functional modules that are founded at system designing and building (executables, OS elements, data bases)

**Long life-cycle** -> cryptographic methods

## □ **Variable components:**

- modified settings (security parameters: system registry, access control rights; session characteristics: active users, applications list)
- Huge number of parameters undergoing control

**Short and tiny life cycle** -> ?

***Integrity* is ensuring  
that information environment is stable (invariable)  
(not in point but in area)**



## System state elements

a set of program components  $p_i \in P$ , where  $P$  depicts the set of TIE's components,  $i \in N$ . A program item is specified with a program type  $T_n \in T$ , where  $T$  is a set of program types (e.g., system software, user application, security mechanism),  $n \in N$ ;

a set of program attributes  $A^{T_n} = \{a_j^{T_n}\}$ , where  $T_n$  is a program type,  $a_j$  is a component of program attribute;  $j \in N$ . Program attributes are the settings of the TIE's program components;

a set of attribute values  $V^{T_n, p_i} = \{v_k^{T_n, p_i}\}$ , where  $\forall v_k^{T_n, p_i} = \text{var}(p_i, T_n, A^{T_n}), k \in N$ . Function  $\text{var} : P \times T \times A^T \rightarrow V^T$  for the program item  $p_i \in P$  of type  $T_n \in T$  with attributes  $A^{T_n}$  returns the values  $V^{T_n}$ .



# Formal integrity conditions

$ref : P \times T \times A^T \times V^T \rightarrow P \times T \times A^T \times V^T :$

set of attributes  $a^t \in A^T$  with values  $v^{t,p} \in V^{t,p}$

program component  $p \in P$  of the type  $t \in T$

points to the set of AGREED attributes  $a^{t'} \in A^{T'}$  with values  $v^{t',p'} \in V^{t',p'}$  of another program item  $p' \in P$  of the type  $t' \in T'$ .

One ( $V^T$ ) or several ( $V^T \pm \Delta V_{\Leftarrow}^T$ ) values refer to another program item:

$ref : P \times T \times A \times V^T \rightarrow P \times T \times A \times (V^T \pm \Delta V_{\Leftarrow}^T).$

The reverse function  $ref^{-1} : P \times T \times A \times (V^T \pm \Delta V_{\Leftarrow}^T) \rightarrow P \times T \times A \times (V^T \pm \Delta V_{\Rightarrow}^T)$  defines area  $V^T \pm \Delta V_{\Rightarrow}^T$  for each point from  $V^T \pm \Delta V_{\Leftarrow}^T$ .

Symmetric relations has not to be empty:

$\forall p \in P, \forall t \in T \quad \exists a \in A^t : \exists p' \in P, \exists t' \in T, \exists d_{\Rightarrow} = V^{p,T} \pm \Delta V_{\Rightarrow}^{p,T} \cup$

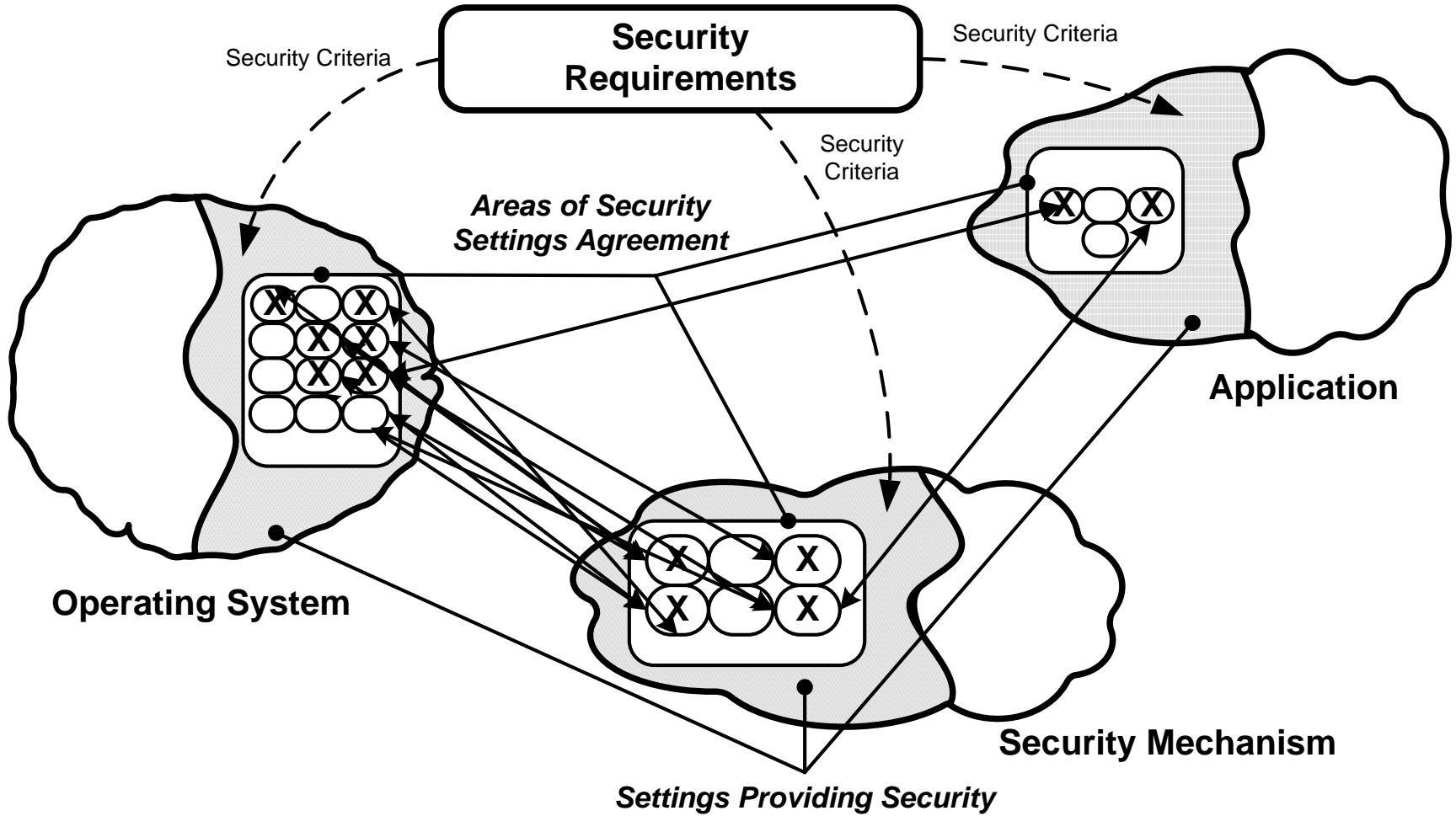
$d_{\Leftarrow} = V^{p',T'} \pm \Delta V_{\Leftarrow}^{p',T'} : ref(p, t, a^t, d_{\Rightarrow}) = \langle p', t', a^{t'}, d_{\Leftarrow} \rangle;$

$ref^{-1}(p', t', a^{t'}, d_{\Leftarrow}) = \langle p, t, a^t, d' \rangle; d' \cap d_{\Rightarrow} \neq \emptyset.$





# Graphical interpretation





# Implementation: security control system

